K-dynamics: Gravitational wave generation in Dark energy

Miguel Bezares Figueroa

Connecting the dots Toward: inspiral-merger-ringdown gravitational waveforms beyond general relativity

Max Planck Institute for Gravitational Physics Albert Einstein Institute





Numerical relativity simulations in theories with kinetic screening

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In collaboration with Ricard Aguilera, Enrico Barausse, Marco Crisostomi, Lotte ter Haar, Guillermo Lara and Carlos Palenzuela





Desirable theoretical properties

- Well-motivated from Fundamental Physics: these theories would solve (in principle) some fundamental problem in physics, such as late time acceleration, or the incompatibility between quantum mechanics and General Relativity.
- Precision Tests: The theory must produce predictions that pass all Solar System, binary pulsar, cosmological and experimental tests.
- Existence of Known Solutions: The theory must admit solutions that correspond to some observed phenomena.
- Stability of Solutions: The special solutions described in property must be stable to small perturbations on timescales smaller than the age of the Universe.
- Well-posed Initial Value Formulation: It should admits a unique solution that depends continuously on the initial data.

N. Yunes, X. Siemens, Gravitational Wave Tests of General Relativity with Ground-Based Detectors and Pulsar Timing Arrays. Living Reviews in Relativity volume 16, 9 (2013).

Zoo of Alternative theories of Gravity



J.M. Ezquiaga, M. Zumalacárregui, Dark Energy in light of Multi-Messenger Gravitational-Wave astronomy Front. Astron. Space Sci., 21 December 2018.

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K-dynamics

How to hide the scalar field? \rightarrow Screening mechanism





$$egin{array}{rcl} \mathcal{L} &=& -rac{1}{2}Z^{\mu
u}(arphi,\partialarphi,\ldots)\partial_{\mu}arphi\partial_{
u}arphi \ &-V(arphi)+g(arphi)T^{\mu}_{
u} \end{array}$$

Varieties of screening:

- φ (via potential): weak coupling (symmetron), large mass (chameleon).
- ► $\partial_{\mu}\varphi$: kinetic screening.
- $\partial_{\mu}\partial_{\nu}\varphi$: Vainshtein mechanism

Beyond the Cosmological Standard Model. A. Joyce, B. Jain, J. Khoury, Mark Trodden. Phys.Rept. 568, 2015.

T Sector





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1,543 cts

From the zoo \rightarrow K-essence ($\partial \varphi$)

K-essence action is

$$S = \int \mathrm{d}^4 x \sqrt{-g} \left[\frac{M_{\mathrm{Pl}}^2}{2} R + K(X) \right] + S_m \left[A(\Phi) g_{\mu\nu}, \Psi_m \right] \; ,$$

where $A(\Phi)$ is the conformal factor and $X \equiv \nabla_{\mu} \varphi \nabla^{\mu} \varphi$ is the standard kinetic term

K-essence theories have been widely applied both in early and late time cosmology. They were introduced in the context of inflation (k-inflation), and then used to explain the present accelerated expansion of the Universe (self-acceleration). Cosmological relevant

C. Armendariz-Picon, T. Damour, and V. F. Mukhanov, *k* - *inflation*, Phys. Lett. B458 (1999) 209218. T. Chiba, T. Okabe, and M. Yamaguchi, *Kinetically driven quintessence*, Phys. Rev. D52 (2000) 023511. C. Armendariz-Picon, V. F. Mukhanov, and P. J. Steinhardt, *A Dynamical solution to the problem of a small cosmological constant and late time cosmic acceleration*, Phys. Rev. Lett. 85 (2000) 44384441

GW170817. K-essence remains unconstrained by the bounds on the GW speed.

J. M. Ezquiaga, M. Zumalacarregui. Dark Energy after GW170817: dead ends and the road ahead. Phys. Rev. Lett. 119, 251304 (2017)
 P. Creminelli, F. Vernizzi. Dark Energy after GW170817 and GRB170817A. Phys. Rev. Lett. 119, 251304 (2017)
 P. Creminelli, M. Lewandowski, G. Tambalo, and F. Vernizzi. forvitational Wave Decay into Dark Energy, JCAP 1812 (2018) 025.
 P. Creminelli, G. Tambalo, F. Vernizzi, and V. Yingcharoenrat, Dark-Energy Instabilities induced by Gravitational Waves, JCAP 2005 (2020) 002.

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K-essence action is



P. Creminelli, M. Lewandowski, G. Tambalo, and F. Vernizzi, Gravitational Wave Decay into Dark Energy, JCAP 1812 (2018) 025.
P. Creminelli, G. Tambalo, F. Vernizzi, and V. Yingcharoenrat, Dark-Energy Instabilities induced by Gravitational Waves, JCAP 2005 (2020) 002.

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Kinetic screening

• Kinetic screening mechanism: allowing $\partial_{\mu}\varphi$ to remain unseen by local tests of gravity. It known as *K*-mouflage.



E. Babichev, C. Deffayet, R. Ziour. *k-Mouflage gravity*. Int.J.Mod.Phys. D18:2147-2154, 2009 A. Joycea B. Jain J. Khouryb M. Trodden *Beyond the cosmological standard model.*, Physics Reports Vol. 568.



(1) The non-linear terms start dominating, suppressing (or "screening") scalar effects

(2) The theory behaves as FJBD theory: only linear in X terms.

MAIN GOAL: to study the dynamics of this screening mechanism in the strong-field regime by using numerical relativity ... trying to answer the following question Does k-mouflage survive in the strong-field regime?

We will consider neutron stars in this screening regimen, in particular, three cases:

- Stellar oscillations
- Gravitational collapse
- Binary neutron stars
- Dynamics in UV completions

The model

The K-essence action is

$$S = \int \mathrm{d}^4 x \sqrt{-g} \left[rac{M_{\mathrm{Pl}}^2}{2} R + K(X)
ight] + S_m \left[A(\varphi) g_{\mu\nu}, \Psi_m
ight] \; ,$$

where $A(\varphi) = \exp\left(-\sqrt{2} \alpha \frac{\varphi}{M_{\text{Pl}}}\right)$ and $X \equiv \nabla_{\mu} \varphi \nabla^{\mu} \varphi$ is the standard kinetic term of the scalar field φ .

For K(X) we consider only the lowest-order terms

$$K(X) = -\frac{1}{2}X + \frac{\beta}{4\Lambda^4}X^2 - \frac{\gamma}{8\Lambda^8}X^3 + \dots (\beta = \gamma = 0 \quad FJBD),$$

where the coefficients $\beta, \gamma \sim O(1)$ are dimensionless, and Λ is the strong-coupling scale of the effective field theory.

$$\Lambda \approx \Lambda_{\rm DE} \sim 2 \times 10^{-3} \ {\rm eV} \sim 10^{-12}$$
 (in units $G = c = M_\odot = 1$)

Equation of motion

(1)

$$G_{\mu\nu} = 8\pi G \left(T^{\varphi}_{\mu\nu} + T_{\mu\nu} \right),$$
(2)

$$\left(g^{\mu\nu} + \frac{2 K''(X)}{K'(X)} \nabla^{\mu} \varphi \nabla^{\nu} \varphi \right) \nabla_{\mu} \nabla_{\nu} \varphi = \frac{1}{2} \mathcal{A} T$$
(3)

$$\nabla_{\mu} T^{\mu\nu} = \mathcal{A} \nabla^{\nu} \varphi T,$$
(4)

$$\nabla_{\mu} (\rho_0 u^{\mu}) = \rho_0 \mathcal{A} u^{\mu} \nabla_{\mu} \varphi,$$

where ${\cal A}\equiv -{\it A}'(arphi)/[2\,{\it A}(arphi)]$

(5)
$$T^{\varphi}_{\mu\nu} = K(X)g_{\mu\nu} - 2K'(X)\partial_{\mu}\varphi\partial_{\nu}\varphi ,$$

(6)
$$T_{\mu\nu} = [\rho_0(1+\epsilon) + P] u_{\mu} u_{\nu} + P g_{\mu\nu} ,$$

being ρ_0 the rest-mass density, ϵ the specific internal energy, P the pressure and u^{μ} the fluid four-velocity.

Brief interlude about the KG equation

The scalar field equation can also be recast into a generalised Klein-Gordon equation

$$abla_\mu \left[{\cal K}'(X)
abla^\mu arphi
ight] = rac{1}{2} {\cal A} T \Leftrightarrow \gamma^{\mu
u}
abla_\mu
abla_
u arphi = rac{{\cal A} \, T}{2 \, {\cal K}'(X)} \; ,$$

with an effective metric

$$\gamma^{\mu\nu} \equiv g^{\mu\nu} + \frac{2\,{\cal K}''(X)}{{\cal K}'(X)}\nabla^{\mu}\varphi\nabla^{\nu}\varphi$$

Here, we have two problems

Caustics/shocks (even from smooth initial data)

G. N. Felder, L. Kofman, and A. Starobinsky, Caustics in tachyon matter and other Born-Infeld scalars, JHEP 09 (2002) 026. H. S. Reall, N. Tanahashi, and B. Way, Shock Formation in Lovelock Theories, Phys. Rev. D91 no. 4, (2015) 044013. E. Babichev, Formation of caustics in k-essence and Horndeski theory, JHEP 04 (2016) 129.

Breakdown of the Cauchy problem (CP)

L. Bernard, L. Lehner, and R. Luna. Challenges to global solutions in Horndeskis theory. Phys. Rev. D100 no. 2, (2019) 024011 P. Figueras and T. Frana, Gravitational Collapse in Cubic Horndeski Theories, Classical and Quantum Gravity, Volume 37, Number 22.

2 Notinghon

Brief interlude about the KG equation

The scalar field equation can also be recast into a generalised Klein-Gordon equation

$$\nabla_{\mu} \left[\mathcal{K}'(X) \nabla^{\mu} \varphi \right] = \frac{1}{2} \mathcal{A} T \Leftrightarrow \gamma^{\mu \nu} \nabla_{\mu} \nabla_{\nu} \varphi = \frac{\mathcal{A} T}{2 \, \mathcal{K}'(X)} \; ,$$

with an effective metric

$$\gamma^{\mu\nu} \equiv g^{\mu\nu} + \frac{2\,\mathcal{K}''(X)}{\mathcal{K}'(X)}\nabla^{\mu}\varphi\nabla^{\nu}\varphi$$

Here, we have two problems

Caustics/shocks (even from smooth initial data) change the numerical scheme!

> G. N. Felder, L. Kofman, and A. Starobinsky, Caustics in tachyon matter and other Born-Infeld scalars, JHEP 09 (2002) 026. H. S. Reall, N. Tanahashi, and B. Way, Shock Formation in Lovelock Theories, Phys. Rev. D91 no. 4, (2015) 044013. E. Babichev, Formation of caustics in k-essence and Horndeski theory, JHEP 04 (2016) 129.

Breakdown of the Cauchy problem (CP) explain in detail later

L. Bernard, L. Lehner, and R. Luna. Challenges to global solutions in Horndeskis theory. Phys. Rev. D100 no. 2, (2019) 024011 P. Figueras and T. Frana, Gravitational Collapse in Cubic Horndeski Theories, Classical and Quantum Gravity, Volume 37, Number 22.

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Stellar oscillations

Dynamics of screening in modified gravity. Phys. Rev. Lett. 126, 091102 L. ter Haar, M. Bezares, M. Crisostomi, E. Barausse, and C. Palenzuela

Kinetic screening in nonlinear stellar oscillations and gravitational collapse M. Bezares, L. ter Haar, M. Crisostomi, E. Barausse, and C. Palenzuela Phys. Rev. D 104, 044022

Initial data: Neutron star with screening



Phys. Rev. Lett. 126, 091102, *Dynamics of screening in modified gravity*, L. ter Haar, M. Bezares, M. Crisostomi, E. Barausse, and C. Palenzuela

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K-dynamics

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Initial data: Neutron star with screening

Scalar modes (∇_μφ) are strongly suppressed near matter sources, where the non-linear terms in K(X) dominates over the linear one.



Dynamics of the screening solution-I: $\Lambda \simeq 4~{\rm MeV}$



Dynamics of the screening solution-II



 $|\varphi_c \propto \Lambda|$

Oscillating stars: screening works!

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Gravitational collapse

Kinetic screening in nonlinear stellar oscillations and gravitational collapse M. Bezares, L. ter Haar, M. Crisostomi, E. Barausse, and C. Palenzuela Phys. Rev. D 104, 044022

Well-posedness in a nutshell (Recall Aron's talk)

Well-posedness

Consider the first-order systems

$$u_t = P\left(t, x, \frac{\partial}{\partial x}\right) u, \quad t \ge t_0; u(t_0, x) = f(x).$$

This problem is well-posed if, for every t_0 and every $f \in C^{\infty}(x)$:

- There exists a unique solution $u(t,x) \in C^{\infty}(t,x)$, and
- On the solution depends continuously on the initial data given in the problem.

Well-posedness in a nutshell (Recall Aron's talk)

Hyperbolicity

$$\partial_t u + F^i \partial_i u = S(u),$$

- Strongly hyperbolic if the principal part has real eigenvalues and complete set of eigenvectors.
- Weakly hyperbolic if the principal part has real eigenvalues and incomplete set of eigenvectors.

Well-posedness in a nutshell (Recall Aron's talk)

Why do we have to study the hyperbolicity (characteristic structure) of our evolution system?

Weakly hyperbolicStrongly hyperbolic \Downarrow \Downarrow \lor IBVP is ill posed \Downarrow IVBP is well posed \Downarrow \Downarrow Stable numerical evolutionUnstable numerical evolutions(suitable numerical methods)

D. Hilditch, An Introduction to Well-posedness and Free-evolution, Int. J. Mod. Phys. A28 (2013)1340015 L. C. Evans, Partial differential equations. American Mathematical Society, Providence, R.I., 2010.

Breakdown of CP-I (Spherical symmetry case)

$$\nabla_{\mu} \left[\mathcal{K}'(X) \nabla^{\mu} \varphi \right] = \frac{1}{2} \mathcal{A} T \Leftrightarrow \gamma^{\mu\nu} \nabla_{\mu} \nabla_{\nu} \varphi = \frac{\mathcal{A} T}{2 \, \mathcal{K}'(X)}$$

The characteristic matrix for the principal part is

(7)
$$\mathbb{M} = \begin{pmatrix} 0 & \frac{\alpha}{\sqrt{g_{rr}}} \\ -\frac{\sqrt{g_{rr}}}{\alpha} \frac{\gamma^{rr}}{\gamma^{tt}} & -\frac{2\gamma^{tr}}{\gamma^{tt}} \end{pmatrix}$$

The eigenvalues of this matrix (characteristic speed of the scalar field), V_{\pm} , read

(8)
$$V_{\pm} = -\frac{\gamma^{tr}}{\gamma^{tt}} \pm \sqrt{\frac{-\det(\gamma^{\mu\nu})}{(\gamma^{tt})^2}}.$$

Strong hyperbolic $\Leftrightarrow V_{\pm}$ are real and distinct $\Leftrightarrow \det(\gamma^{\mu\nu}) < 0$

D. Hilditch, An Introduction to Well-posedness and Free-evolution, Int. J. Mod. Phys. A28 (2013)1340015 L. C. Evans, Partial differential equations. American Mathematical Society, Providence, R.I., 2010.

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Tricomi-Problem

$$\mathcal{V}_{\pm} = -rac{\gamma^{tr}}{\gamma^{tt}} \pm \sqrt{rac{-\det(\gamma^{\mu
u})}{(\gamma^{tt})^2}} \, ,$$

 $\det(\gamma^{\mu
u})$ may cross zero during the evolution \Rightarrow strong hyperbolicity would be lost



G. Lara, M. Bezares, E. Barausse, UV completions, fixing the equations, and nonlinearities in k-essence., JCAP03 (2021) 072 P. Figueras and T. Franca, Gravitational Collapse in Cubic Horndeski Theories, Classical and Quantum Gravity, Volume 37, Number 22.

• det
$$(\gamma^{\mu\nu}) \propto \left(1 + \frac{2K''}{K'}X\right) > 0 \Rightarrow$$
 Our K-essence model satisfy this condition

Tricomi-Problem

$$\mathcal{V}_{\pm} = -rac{\gamma^{tr}}{\gamma^{tt}} \pm \sqrt{rac{-\det(\gamma^{\mu
u})}{(\gamma^{tt})^2}} \, ,$$

 $\det(\gamma^{\mu
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G. Lara, M. Bezares, E. Barausse, UV completions, fixing the equations, and nonlinearities in k-essence., JCAP03 (2021) 072 P. Figueras and T. Franca, Gravitational Collapse in Cubic Horndeski Theories, Classical and Quantum Gravity, Volume 37, Number 22.

Many alternatives theory of gravity suffer this problem!!! (see Review by J. Ripley arXiv:2207.13074)

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Breakdown of CP-II (Spherical symmetry case)

Keldysh-Problem

$$\mathcal{V}_{\pm} = -rac{\gamma^{tr}}{\gamma^{tt}} \pm \sqrt{rac{-\det(\gamma^{\mu
u})}{(\gamma^{tt})^2}} \,,$$

 $\gamma^{tt} \rightarrow 0$ (dynamically) \Rightarrow decrease the time-step



This problem can be solved either by using a different gauge condition or the *fixing the equation*

Fixing equation

The second equation is a driver that will force Σ to K'(X) on a timescale τ > 0.

the principal part of this system takes indeed the form of a conservation law.

J. Cayuso, N. Ortiz, and L. Lehner. Fixing extensions to general relativity in the nonlinear regime. Phys. Rev. D 96, 084043 (2017)

Gravitational collapse



 $\Lambda = 4.04 \,\mathrm{MeV}$

Gravitational collapse



Gravitational collapse: screening is less efficient

K-dynamics

Binary neutron stars



Binary NSs merger: $\Lambda \simeq 4 \; {\rm MeV}$



1 Rotanization 30 / 39

Binary NSs merger





I = *m* = 1 dipole mode shows signs of screening suppression as ∧ decreases.
 I = *m* = 2 scalar quadrupole (dominant) mode is always larger than in FJBD theory

BNS: The screening is not effective in the late inspiral/merger

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Non-Spherical Oscillation of neutron stars

(screening radius) $r_{sc} > \lambda_{wave}$ (wavelength of scalar waves)



FIG. 6. Waveforms $(\partial_t \phi_{00} r)$ of the monopole mode for scalar waves as functions of t - r for $\beta = 1$, 10^{16} , 10^{20} , 10^{24} , and 10^{28} . The waveforms extracted at r = 591 km are shown together.

Properties of scalar wave emission in a scalar-tensor theory with kinetic screening. Masaru Shibata and Dina Traykova. Phys. Rev. D 107, 044068, 2023



 10^{4}

 10^{-7}

100

 $1\dot{0}^{1}$

 10^{2}

 $B^{1/8} \propto r_c$

Courtesy of Dina Traykova

 10^{3}

Binary BBH merger

Black hole binaries in cubic Horndeski theories, Pau Figueras and Tiago Frana Phys. Rev. D 105, 2022

- Cubic theory: $\mathscr{L}=R+X-V(\phi)+G_2(\phi,X)+G_3(\phi,X) \bigsqcup \phi$



Dynamics in UV completions

UV completions, fixing the equations, and nonlinearities in k-essence. Guillermo Lara, Miguel Bezares, and Enrico Barausse. Phys. Rev. D 105, 064058 2022 Slides from Guillermo Lara's (a.k.a Memo) talk. Frontiers in Numerical Relativity 2022



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Slides from Guillermo Lara's (a.k.a Memo) talk. Frontiers in Numerical Relativity 2022



Slides from Guillermo Lara's (a.k.a Memo) talk. Frontiers in Numerical Relativity 2022



Fixing and BBH

An eight-derivative theory of gravity [arXiv:2303.07246]:

$$I = \int dx^4 \sqrt{-g} \left(R - \frac{1}{\Lambda^6} \, \mathscr{C}^2 \right) \,, \qquad \mathscr{C} = R_{\mu\nu\rho\sigma} R^{\mu\nu\rho\sigma}$$



Discussion and Outlook

 Find an alternative to extrapolating our results to solve the hierarchy problem in our set-up.

- Consider other scalar-tensor theories, such as DBI gravity.
- NS-BH binaries.
- Explore validity of the fixing program.
- We need more Arons Kovacs.

Discussion and Outlook

• Find an alternative to extrapolating our results to solve the hierarchy problem in our set-up.

$$\Lambda \approx \Lambda_{\rm DE} \sim 2 \times 10^{-3} \text{ eV}$$

$$\downarrow$$
To perform numerical simulations $G = c = M_{\odot} = 1$

$$\downarrow$$

$$\Lambda_{\rm DE} = 10^{-12}; \ \mathcal{K}(X) = -\frac{1}{2}X + \frac{\beta}{4\Lambda^4}X^2 - \frac{\gamma}{8\Lambda^8}X^3 + \dots$$

- Consider other scalar-tensor theories, such as DBI gravity.
- NS-BH binaries.
- Explore validity of the fixing program.
- We need more Arons Kovacs.

At present, there is no experimental evidence that Boson stars exist. Nevertheless, it seems reasonable that solutions of well-tested theories, such as Einsteins GR, the Dirac equation, the Klein-Gordon equation, etc., should find their proper place in nature.

... by T.D. Lee

Discussion and Outlook

• Find an alternative to extrapolating our results to solve the hierarchy problem in our set-up.

$$\begin{split} & \Lambda \approx \Lambda_{\rm DE} \sim 2 \times 10^{-3} \ {\rm eV} \\ & \Downarrow \\ & \text{To perform numerical simulations } G = c = M_{\odot} = 1 \\ & \downarrow \\ & \Lambda_{\rm DE} = 10^{-12}; \ & \mathcal{K}(X) = -\frac{1}{2}X + \frac{\beta}{4\Lambda^4}X^2 - \frac{\gamma}{8\Lambda^8}X^3 + \dots \end{split}$$

- Consider other scalar-tensor theories, such as DBI gravity.
- NS-BH binaries.

At present, there is no experimental evidence that Boson stars and alternatives theories of gravity exist. Nevertheless, it seems reasonable that solutions of well-tested (?) theories, such as Einsteins GR, the Dirac equation, the Klein-Gordon equation, etc., should find their proper place in nature.

... by T.D. Lee and M. Bezares



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Gravitational waves meet effective field theories

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2023, Aug 20 -- Aug 26

Organizers: E. Barausse (SISSA, Italy) L. Bernard (Paris Meudon/CNRS) M. Bezares (University of Nottingham)

General Relativity (GR) describes gravity on a huge range of scales, field strengths and velocities. However, despite its successes, GR has been showing its age. Cosmological data support the existence of Dark Sector, but may also be interpreted as a breakdown of our understanding of gravity. Also, GR is intrinsically incompatible with quantum field theory, and should be replaced, at high energies, by a (still unknown) quantum theory of gravity. This deadlock may prelude to a paradigm change in our understanding of gravity, possibly triggered by the direct observations of neutron stars and black holes by gravitational-wave interferometers. The recent LIGO/ Virgo observations have already made a huge impact on our theoretical understanding of gravity, by severely constraining severel actensions or GR. In this workshop, we will focus on effective field theories of gravity extending/modifying GR, focusing on their predictions for the generation and propagation of gravitational waves, and on their comparison with experiments. Our goal is to establish new symergies among different communities, including numerical relativity, pos-Hewrinian theory, data analysis and cosmology.

Speakers

- Cliff Burgess
- Antonio Padilla
- Miguel Zumalacarragui
- Filipo Vernizzi
- Alessandra Silvestri
- Felix Julie
- Áron Kovács
- Luis Lehner

Miguel Bezares (University of Nottingham)

K-dynamics

Backup

The tool



K-dynamics

The MHDuet code

Slides from Carlos Palenzuela's talk. Frontiers in Numerical Relativity 2022

Flexible code for modeling dynamical strong gravity

"A Simflowny-based finite-difference code for high-performance computing in numerical relativity", CP, JM++ Classical and Quantum Gravity 35 (2018)

- Scalar fields (Boson Stars, Dark Stars) PRD 96, 104058 (2017) ; CQG 35, 234002 (2018); PRD 105, 064067 (2022)
- **Binary Neutron Stars** (w Dark Matter cores, phase transitions) CQG 37, 135006 (2020); PRD 100, 044049 (2019); CQG 38, 115007 (2020)
- Large-Eddy-Simulations of Binary Neutron Stars PRD 102, 103006 (2020); APJL 926 (2022) ; PRD 106, 023013 (2022)
- **Binary Neutron Stars in Alternative Theories of Gravity** Physical Review Letters 128 (9), 091103
- *Binary Neutron Stars with radiation transport* (leakage, M1..) PRD 105, 103020 (2022); MR talk on Tuesday, to be submitted (2020)